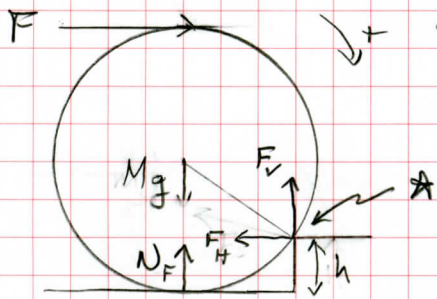


T6 Pr 12.25 & 26

A HORIZONTAL FORCE IS APPLIED TO A CYLINDER AGAINST A STEP.

- SHOW THE FORCE OF THE FLOOR IS $N_F = Mg - F \sqrt{\frac{2R-h}{h}}$.
- FIND F_H
- FIND F_V
- FIND F MINIMUM THAT WILL ROLL CYLINDER UP THE STEP.



APPLY NSL TO TORQUES ABOUT *

$$\sum \tau_* = I \alpha^{10}$$

$$(2R-h)F + (R \sin \theta) N_F - (R \sin \theta) Mg = 0$$

$$(2R-h)F + N_F R \sin \theta = R Mg \sin \theta$$

$$(2R-h)F = (Mg - N_F) R \sin \theta$$

SUBSTITUTING FOR $\sin \theta$:

$$(2R-h)F = (Mg - N_F) R \frac{\sqrt{R^2 - (R-h)^2}}{R}$$

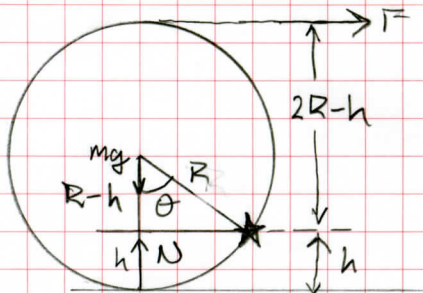
$$(2R-h)F = (Mg - N_F) \sqrt{R^2 - R^2 + 2Rh - h^2}$$

$$(2R-h)F = (Mg - N_F) \sqrt{2Rh - h^2}$$

$$(2R-h)F = (Mg - N_F) \sqrt{h} \sqrt{2R-h}$$

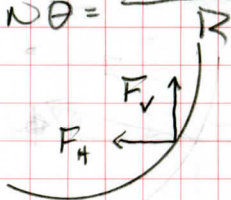
$$\sqrt{2R-h} F = \sqrt{h} (Mg - N_F)$$

$$N_F = Mg - \sqrt{\frac{2R-h}{h}} F \quad \text{QED!}$$



$$\cos \theta = \frac{R-h}{R}$$

$$\sin \theta = \frac{\sqrt{R^2 - (R-h)^2}}{R}$$



b & c) APPLY NSL TO FORCES

$$\sum F_{\text{HORIZ}} = m a_{\text{HORIZ}}^{10}$$

$$F - F_H = 0$$

$$F_H = F$$

$$\sum F_{\text{VERT}} = m a_{\text{VERT}}^{10}$$

$$F_V + N_F - Mg = 0$$

$$F_V = Mg - N_F$$

$$F_V = \sqrt{\frac{2R-h}{h}} F$$

d) FIND MINIMUM F THAT WILL ROLL CYLINDER OVER STEP

$\Rightarrow N_F \rightarrow 0$ WHEN CYLINDER ROLLS

$$N_F = Mg - \sqrt{\frac{2R-h}{h}} F_{\text{MIN}} = 0$$

$$F_{\text{MIN}} = \sqrt{\frac{h}{2R-h}} Mg$$

e) Forz $R = 10\text{cm}$, $h = 3\text{cm}$ AND $M = 2\text{kg}$

$$F_{\text{MIN}} = \sqrt{\frac{3}{20-3}} (2) g = \boxed{0.841g = F_{\text{MIN}}}$$

$$= \boxed{8.23\text{N} = F_{\text{MIN}}}$$